



IPMAT

QUANTITATIVE APTITUDE

For Students Chasing Big Goals, Your IPMAT Story Begins Here

900+
Questions

KEY FEATURES

- Complete Topic Coverage
- Chapterwise PYQs from Past Years
- Based on latest exam pattern.
- Includes 5 sectional tests & 5 full length mock tests



Ideal for IPMAT Indore, Rohtak & JIPMAT

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RATIO, PROPORTION, VARIATION AND PARTNERSHIP

Definition of Ratio

Ratio is the comparison between two quantities in terms of their value.

Ratio of a and b is expressed as $a : b$

$$a : b = \frac{a}{b}$$

Properties of Ratio

$$\frac{a}{b} = \frac{c}{d} = \frac{e}{f} = \dots = \frac{a+c+e+\dots}{b+d+f+\dots}$$

If two or more ratios are same, then the ratio of sum of all numerators and sum of all denominators is same as the original ratio.

Example 1 Ages of Sashi and Rekha are in the ratio $3 : 4$. After 3 years, the new ratio becomes $5 : 6$. What is Rekha's present age?

Solution: Let the ages of Sashi & Rekha be $3x$ and $4x$ respectively

age

$$\begin{aligned} \text{Ratio of ages after 3 years} &= \frac{3x+3}{4x+3} = \frac{5}{6} \\ \Rightarrow 6(3x+3) &= 5(4x+3) \\ \Rightarrow 18x+18 &= 20x+15 \\ \Rightarrow x &= 3/2 \end{aligned}$$

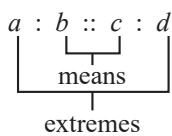
$$\text{Present age of Rekha} = \frac{3}{2} \times 4 = 6 \text{ years.}$$

Proportion

When two ratios are equal, the four quantities together are in proportion

of $\frac{a}{b} = \frac{c}{d}$, then a, b, c, d are in proportion.

Here, $a : b :: c : d$



Product of means = Product of extremes

$$bc = ad.$$

Properties of proportion

$$\text{A. Componendo: } \frac{a}{b} = \frac{c}{d} \Leftrightarrow \frac{a+b}{b} = \frac{c+d}{d}$$

$$\text{B. Dividendo: } \frac{a}{b} = \frac{c}{d} \Leftrightarrow \frac{a-b}{b} = \frac{c-d}{d}$$

Therefore, $\frac{a+b}{a-b} = \frac{c+d}{c-d} \Leftrightarrow \frac{a}{b} = \frac{c}{d}$

C. Mean Proportion of a, c is $b = \sqrt{ac}$

D. Third Proportion of $a : b :: b : c$ is c

$$\text{Where } c = \frac{b^2}{a}$$

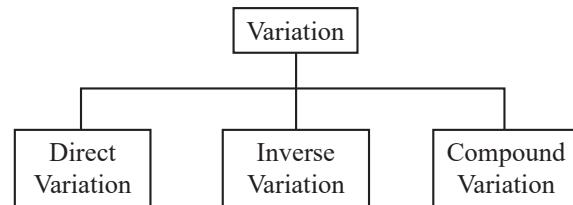
E. Fourth Proportion of $a : b :: c : d$ is d .

Variation

If change in one quantity leads to change in another quantity, then the two quantities are in variation.

If the cost of 10 pens is ₹100 and we increase the number of pens to 20, the total cost will also go up.

If 3 cows are grazing a field and if we increase the number of cows, then the area of field left to be grazed will decrease.



Direct Variation

If one quantity increases, other one also increases.

If one quantity decreases, other one also decreases.

$$x \propto y$$

Here, 'proportional to' means 'varies as' or 'proportional to'.

It can be written as $x = ky$, where k is constant.

' k ' is also called constant of proportionality.

$$\text{Hence, } \frac{x}{y} = k \text{ (constant)}$$

$$\Rightarrow \frac{x_1}{y_1} = \frac{x_2}{y_2} = k$$

Inverse Variation

If one quantity increases, other one decreases.

If one quantity decreases other one increases.

This is represented as $y \propto \frac{1}{x}$

y is inversely proportional to x .

$$\Rightarrow y = \frac{k}{x}, \text{ where } k \text{ is constant}$$

$$\Rightarrow xy = k \text{ (constant)}$$

$$\Rightarrow x_1 y_1 = x_2 y_2 = k$$

Compound Variation

If $x \propto y$ and $x \propto \frac{1}{z}$, then

$$x = \frac{ky}{z}, \text{ where } k \text{ is constant.}$$

Example 2 Vineeta takes 7 hours to complete a task. How much time will she take to complete two such tasks?

Solution:

Number of task \propto Number of hours taken

Let the number of hours taken be x .

$$\frac{x_1}{y_1} = \frac{x_2}{y_2}$$

$$\Rightarrow \frac{1}{7} = \frac{2}{y_2}$$

$$\Rightarrow y_2 = 14 \text{ hours.}$$

Hence, the time taken is 14 hours.

Example 3 25 machines produce 5 tires in 12 hours. How many tires will 10 machines produce in 18 hours?

Solution:

Here, the number of tires produced depends on number of machines and number of hours.

When the number of tire increases, the number of hours and machines also increases.

No. of tires \propto (no. of hours) (no. of machines)

$$t = k \cdot hm$$

$$\Rightarrow 5 = k \times 12 \times 25 \Rightarrow k = \frac{5}{12 \times 25} = \frac{1}{60}$$

When machines are 10 and hours are 18,

$$t = \frac{1}{60} \times 18 \times 10 = 3$$

$$\Rightarrow \text{Number of tires produced} = 3$$

Example 4 Density of a liquid is directly proportional to its mass and inversely proportional to its volume.

Two liquids of same density have their masses in the ratio of 10 : 11. Find the ratio of their volumes.

Solution: Density \propto mass

$$\text{Density} \propto \frac{1}{\text{volume}}$$

$$\Rightarrow \text{Density} = k \times \frac{\text{mass}}{\text{volume}}$$

Let the mass of two liquids be m_1 and m_2 and their respective volumes be v_1 and v_2

$$\Rightarrow k \frac{m_1}{v_1} = k \frac{m_2}{v_2}$$

$$\Rightarrow \frac{m_1}{m_2} = \frac{v_1}{v_2} = \frac{10}{11}$$

$$\Rightarrow \frac{v_1}{v_2} = \frac{10}{11}$$

Hence, the ratio of their volumes is 10 : 11.

Partnership

When two or more persons invest an amount in a business, they work in partnership. They share profit and losses as per the time period of investment and amount invested.

Time period of Investment	Capital Invested	Profit share
Same for each partner	All partners invest different amounts	Ratio of capital invested
Different for each partner	All partners invest same amounts	Ratio of time periods
Different for each partner	All partners invest different amounts	Ratio of product of investment and time period.

Example 5 Aishwarya started a business with ₹20000. After 3 months, Varsha joined her with ₹50000. After some time, Ravi joined them with ₹100000. Varsha received ₹18000 out of the total annual profit of ₹60000. Approximate how many months after Aishwarya started the business did Ravi join?

Solution:

Let Ravi joined x months after Aishwarya.

Capital Invested by	Time period
Aishwarya – 20000	12 months
Varsha – 50000	9 months
Ravi – 100000	(12 – x) months

Ratio of Profits \rightarrow Aishwarya : Varsha : Ravi

$$20000 \times 12 : 50000 \times 9 : 100000 \times (12 - x)$$

Varsha's share of profit = ₹18000

$$\Rightarrow \frac{50000 \times 9}{(20000 \times 12) + (50000 \times 9) + (100000 \times (12 - x))} = \frac{18000}{60000}$$

$$\Rightarrow \frac{450000}{690000 + 1200000 - 100000x} = \frac{18}{60}$$

$$\Rightarrow \frac{450000}{1890000 - 100000x} = \frac{18}{60}$$

$$\Rightarrow \frac{45}{189 - 10x} = \frac{18}{60}$$

$$\Rightarrow 189 - 10x = \frac{45 \times 60}{18} = 150$$

$$\Rightarrow 10x = 189 - 150 = 39$$

$$x = 3.9$$

Hence, Ravi joined after 4 months (approximately).

5. (b) We have:

$$(a+b):(b+c):(c+a) = 4k:6k:5k$$

$$\Rightarrow a+b+b+c+c+a = 4k+6k+5k$$

$$\Rightarrow a+b+c = \frac{15k}{2}$$

Given: $a+b+c = 30$

... (i)

... (ii)

Equating equations (i) and (ii), we get:

$$\frac{15k}{2} = 30$$

$$\Rightarrow k = 4$$

$$\therefore a = 30 - (b+c) = 30 - 24 = 6$$

$$c = 30 - (a+b) = 30 - 16 = 14 \text{ and}$$

$$b = 30 - (a+c) = 30 - 20 = 10$$

$$\text{i. } a > b \Rightarrow 6 > 10, \text{ false.}$$

$$\text{ii. } c - b = 4 \Rightarrow 14 - 10 = 4, \text{ true.}$$

$$\text{iii. } c - b = c - a$$

$$\Rightarrow c - a = 14 - 6 = 8, \text{ false.}$$

6. (b) Let x, y be the present age of Chandan and his wife.

According to the question:

$$x+y=60$$

$$\frac{x+4}{y+4} = \frac{9}{8}$$

$$\Rightarrow 8x+32=9y+36$$

$$\Rightarrow 8x-9y=4$$

... (i)

... (ii)

Solving equations (i) and (ii), we get:

$$x = 32 \text{ and } y = 28$$

\therefore The present age of Chandan = 32 years and the present age of his wife = 28 years

Suppose they have married m years ago.

$$(32-m)+(28-m)=50$$

$$\Rightarrow 2m=10$$

$$\Rightarrow m=5$$

Required age ratio at the time of marriage

$$\frac{32-5}{28-5} = \frac{27}{23} = 27:23$$

7. (a) a, b and c are in proportion.

$$\frac{a}{b} = \frac{b}{c}$$

$$\text{or, } b^2 = ac$$

... (i)

3 is subtracted from each number, then the ratio is $3:5:8$.

$$(a-3):(b-3):(c-3) = 3:5:8$$

$$a-3=3k \text{ or, } a=3k+3$$

$$b-3=5k \text{ or, } b=5k+3$$

$$c-3=8k \text{ or, } c=8k+3$$

Put a, b and c in equation (1)

$$(5k+3)^2 = (3k+3)(8k+3)$$

$$25k^2 + 30k + 9 = 24k^2 + 33k + 9$$

$$k^2 - 3k = 0$$

$$k(k-3) = 0$$

Either $k = 0$ or 3 [but k cannot be 0]

$$\text{So, } k = 3$$

$$a = 3 \times 3 + 3 = 12$$

$$b = 5 \times 3 + 3 = 18$$

$$c = 8 \times 3 + 3 = 27$$

The sum of $a+b+c$ is $12+18+27=57$.

8. (b) Let male population of Timbuktoo be m_1 and male population of Gimbuktoo be m_2 .

Let the female population of Timbuktoo be f_1 and female population of Gimbuktoo be f_2 .

$$\text{So, } (m_1+f_1):(m_2+f_2) = 7:9$$

$$m_1 = f_2$$

$$f_1:m_2 = 2:3$$

$$\Rightarrow 3f_1 = 2m_2$$

$$\text{So } (m_1 + \frac{2}{3}m_2):(m_2 + m_1) = 7:9$$

$$9m_1 + 6m_2 = 7m_2 + 7m_1$$

$$m_1:m_2 = 1:2$$

9. (a) Let the total number of people in the election be $36x$.

Since votes of A and B are in the ratio $4:5$, $4y+5y=36x$
 $y=4x$

Votes for A = $16x$ and votes for B = $20x$.

The number of males to females who voted were in the ratio $2:1$,

So,

number of males = $24x$ and the number of females = $12x$

two-thirds of the women voted for B, i.e $\frac{2}{3}(12x) = 8x$

The number of men who voted for B = $20x - 8x = 12x$

The number of women who voted for A = $12x - 8x = 4x$.

The number of men who voted for A = $16x - 4x = 12x$

	A	B
Total	$16x$	$20x$
Males	$12x$	$12x$
Females	$4x$	$8x$

One fourth of the total votes of A were deemed invalid, therefore the valid votes of A = $\frac{3}{4}(16x) = 12x$

One-sixth of the male votes were deemed invalid for B, therefore total valid votes of B = $\frac{5}{6}(12x) + 8x = 18x$

B won by a margin of 18,000 votes, so

$$18x - 12x = 18,000$$

$$6x = 18,000$$

$$x = 3,000$$

Therefore the number of females who voted for

$$A = 4x = 4(3,000) = 12,000$$

10. (a) Let the minimum required number of passengers be n .

Above n , the number of people is directly proportional to the profit.

The profit is also directly proportional to the kilometers it travelled, therefore

$$\text{Profit} \propto (\text{passengers above } n)(\text{kilometers})$$

$$\text{Profit} = k (\text{passengers above } n)(\text{kilometers})$$

When 45 passengers travel for 42 kilometers,

$$3080 = k (45 - n)(42) \quad \dots(1)$$

When 60 passengers traveled for 20 kilometers,

$$3300 = k (60 - n)(20) \quad \dots(2)$$

Divide equation (1) by equation (2)

$$\frac{3080}{3300} = \frac{k(45-n)(42)}{k(60-n)(20)}$$

$$\frac{14}{15} = \frac{(45-n)42}{(60-n)20}$$

$$\frac{1}{3} = \frac{(45-n)(3)}{(60-n)(4)}$$

$$4(60 - n) = 9(45 - n)$$

$$240 - 4n = 405 - 9n$$

$$5n = 165$$

$$n = 33$$

So when 33 people take the taxi, it does not make a loss

11. (c) Ratio of profit of Anu, Vinu and Punit

$$= (8000 \times 1 + 10000 \times 1) : (12000 \times 2) : (10000 \times 1 + 12000 \times 1) \\ = 9 : 12 : 11$$

12. (d) Here we are given the investment of Aleksandar as Rs. 24000, investment of Binny as Rs. 16000, and investment of Charli as Rs. 20000.

Now since Aleksandar and Binny started the business so they invested for the full 2 years. 1 year has 12 months.

So, 2 years = 24 months.

Therefore, Aleksandar and Binny invested for 24 months.

$$\text{Investment of Aleksandar becomes} \Rightarrow \text{Rs. } 24000 \times 24 \\ = \text{Rs. } 5,76,000$$

$$\text{Similarly, investment of Binny becomes} \Rightarrow \text{Rs. } 16000 \times 24 \\ = \text{Rs. } 3,84,000$$

Now, Charli joined them later after 6 months so his investment will be for (24 - 6) months i.e., 18 months

So, investment of Charli becomes

$$\Rightarrow \text{Rs. } 20000 \times 18 = \text{Rs. } 3,60,000$$

Now let us calculate the ratio of their shares in investment for the company, we have the ratio as

$$\text{Aleksandar: Binny: Charli} = 5,76,000 : 3,84,000 : 3,60,000$$

Dividing all the ratios by common ratio 24000 we get,

$$\text{Aleksandar : Binny : Charli} = 24 : 16 : 15.$$

Total ratio is equal to $24 + 16 + 15 = 55$.

$$\text{So, Binny's Share} = \frac{16}{55} \times \text{Rs. } 32,890 = \text{Rs. } 9568.$$

13. (c) Given, $V \propto w^2$;

$$V = kw^2$$

Let the weights be x , $2x$ and $3x$ and the respective values be V_1 , V_2 and V_3 .

Total weight = $6x$ and Total Value = V

$$V = k(36x^2) = 10368$$

$$\text{or, } kx^2 = 288$$

$$V_1 = kx^2;$$

$$V_2 = k(4x^2);$$

$$V_3 = k(9x^2)$$

Therefore,

$$V_1 + V_2 + V_3 = 14kx^2 \text{ and}$$

$$V = k(36x^2)$$

$$\text{Loss} = 36kx^2 - 14kx^2 = 22kx^2 = 22 \times 288 = 6336.$$

14. (c) Increase in speed $\propto \sqrt{\text{horse power}}$ and increase in speed

$$\alpha \frac{1}{(\text{weight})^2}$$

$$\text{Therefore increase in speed} = k \left(\frac{\sqrt{\text{horse power}}}{(\text{weight})^2} \right)$$

Let the weight being carried by the drone during 86 km/hr be w kg, then the weight carried during 66 km/hr would be $w - 3$.

Case (1): when the speed was 86 km/hr:

$$\text{Increase in speed} = 86 - 50 = 36$$

$$36 = k \left(\frac{\sqrt{560}}{(w)^2} \right) \quad \dots(1)$$

Case (2): when the speed was 66 km/hr:

$$\text{Increase in speed} = 66 - 50 = 16$$

$$16 = k \left(\frac{\sqrt{35}}{(w-3)^2} \right) \quad \dots(2)$$

From (1) and (2),

$$\frac{36}{16} = \frac{k \left(\frac{\sqrt{560}}{w^2} \right)}{k \left(\frac{\sqrt{35}}{(w-3)^2} \right)}$$

$$\frac{9}{4} = \frac{(w-3)^2}{w^2} \left(\sqrt{16} \right) \frac{9}{16} = \frac{(w-3)^2}{w^2}$$

Applying square root on both sides,

Solving for x

$$x - \frac{7x}{15} = 16$$

$$x \left(1 - \frac{7}{15}\right) = 16$$

$$x \times \frac{8}{15} = 16$$

$$x = 30$$

2. (c) We are given two alloys, P and Q , with different compositions of copper (Cu) and zinc (Zn) by weight:

$$\text{Alloy } P: \text{Cu:Zn} = \frac{5}{2}$$

$$\text{Copper fraction} = \frac{5}{7}, \text{ Zinc fraction} = \frac{2}{7}$$

$$\text{Alloy } Q: \text{Cu:Zn} = \frac{3}{4}$$

$$\rightarrow \text{Copper fraction} = \frac{3}{7}, \text{ Zinc fraction} = \frac{4}{7}$$

A new alloy R is formed by mixing P and Q in the ratio $a:b$, where R has equal contents of copper and zinc.

Express Copper and Zinc in Terms of a and b

$$\text{The total copper content in } R: \frac{5}{7}a + \frac{3}{7}b$$

$$\text{The total zinc content in } R: \frac{2}{7}a + \frac{4}{7}b$$

Since R has equal amounts of copper and zinc, we set them equal:

$$\frac{5}{7}a + \frac{3}{7}b = \frac{2}{7}a + \frac{4}{7}b$$

Solving,

$$5a + 3b = 2a + 4b$$

$$3a = b$$

Find the Composition of Alloy S

Now, we mix P and Q in the ratio $b:a$ (which is $3a:a$ or $3:1$) to form alloy S .

The copper content in S :

$$\frac{5}{7} \times 3 + \frac{3}{7} \times 1 \Rightarrow \frac{18}{7}$$

$$\text{The zinc content in } S: \frac{2}{7} \times 3 + \frac{4}{7} \times 1 \Rightarrow \frac{10}{7}$$

$$\text{So, the proportion of Cu : Zn in alloy } S \text{ is: } \frac{18}{10} \Rightarrow \frac{18}{10} \Rightarrow \frac{9}{5}$$

$$\text{The proportion of copper to zinc in alloy } S \text{ is } \frac{9}{5}.$$

3. (c) Let Ashok's initial investment be ₹ A .

Since Bharat invested half of Ashok's investment, his investment = ₹ $A/2$.

Ashok remained in the business for the entire year, i.e., 12 months.

Let Bharat have joined after x months.

So, Bharat worked for $(12 - x)$ months.

Profit-sharing is done based on the product of investment time.

- Ashok's share = ₹ $A \times 12 = 12A$

- Bharat's share = ₹ $\left(\frac{A}{2}\right) \times (12 - x)$

Now, we are given that the profit is divided in the ratio:

$$\frac{\text{Ashok's share}}{\text{Bharat's share}} = \frac{3}{1}$$

Substitute the values:

$$\frac{12A}{\frac{A}{2}(12-x)} = \frac{3}{1}$$

$$\frac{12}{\frac{1}{2}(12-x)} = 3$$

$$\frac{24}{12-x} = 3$$

$$24 = 3(12 - x)$$

$$24 = 36 - 3x$$

$$3x = 12$$

$$x = 4$$

4. [160]

Let the number of oranges be $3x$, apples be $6x$, and bananas be $7x$ for some integer.

A number that is a multiple of both 5 and 6 must be a multiple of LCM(5, 6).

$$\text{LCM}(5, 6) = 30$$

So, $3x$ must be a multiple of 30.

The smallest value of that makes $3x$ a multiple of 30 is:

$$3x = 30$$

$$3x = 10$$

$$\text{Total fruits} = 3x + 6x + 7x = 3(10) + 6(10) + 7(10)$$

$$= 30 + 60 + 70 = 160$$

5. [1442] Let a, b, c, d be positive integers such that:

$$a + b + c + d = 2023$$

$$a : b = 2 : 5$$

$$c : d = 5 : 2$$

Find the maximum possible value of $a + c$.

Express variables using ratios

From the ratio $a : b = 2 : 5$, let:

$a = 2k, b = 5k$ for some positive integer k

From the ratio, let:

$c = 5m, d = 2m$ for some positive integer m

Given:

$$a + b + c + d = 2023$$

Substitute the expressions:

$$2k + 5k + 5m + 2m = 2023 \Rightarrow 7k + 7m = 2023$$

$$k + m = 289 \quad \dots(i)$$

We are asked to find the maximum value of:

$$a + c = 2k + 5m$$

From equation (i), express k in terms of m :

$$k = 289 - m$$

Substitute into the expression for $a + c$:

$$a + c = 2(289 - m) + 5m = 578 - 2m + 5m = 578 + 3m$$

To maximize $a + c = 578 + 3m$, we need to maximize.

Since both k and m must be positive integers,

and:

$$k = 289 - m \geq 1 \Rightarrow m \leq 288$$

Also, since $m \geq 1$, valid values of m range from 1 to 288.

The maximum value of m is 288.

Substitute $m = 288$ into $a + c$:

$$a + c = 578 + 3 \times 288$$

$$a + c = 578 + 864$$

$$a + c = 1442$$

6. (d) Given:

$$\frac{a+b}{b+c} = \frac{c+d}{d+a}$$

Cross-multiplying:

$$(a+b)(d+a) = (c+d)(b+c)$$

Now, expand both sides:

Solving Left-hand side:

$$(a+b)(d+a) = ad + a^2 + bd + ab = a^2 + ab + ad + bd$$

Solving Right-hand side:

$$(c+d)(b+c) = cb + c^2 + db + dc = c^2 + cb + db + dc$$

Now equating both expressions:

$$a^2 + ab + ad + bd = c^2 + cb + db + dc$$

$$a^2 + a(b+d) = c^2 + c(b+d)$$

$$a^2 - c^2 = c(b+d) - a(b+d)$$

$$a^2 - c^2 = (b+d) \times (c-a)$$

$$(a+c) \times (a-c) = (b+d) \times (c-a)$$

$$(a+c) = -(b+d)$$

So, $a - c = 0$ therefore, $a = c$

$$(a+c) = -(b+d)$$

$$a + c + b + d = 0$$

Therefore $a = c$ or $a + b + c + d = 0$

7. (a) The cost of a piece of jewellery is proportional to the square of its weight.

This means:

$$\text{Cost} \propto (\text{Weight})^2$$

Or,

$$\text{Cost} = k \cdot (\text{Weight})^2$$

Where k is the constant of proportionality.

We are told that a 10-gram piece costs ₹3600:

$$3600 = k \times 10^2$$

Use k to find the cost of a 4-gram piece

Now:

$$\text{Cost} = 36 \times 4^2$$

$$\text{Cost} = 36 \times 16$$

$$\text{Cost} = 576$$

FORMULA FLASH



$$1. \frac{a}{b} = \frac{c}{d} = \frac{a+c}{b+d}$$

2. Product of means = Product of extremes

$$3. \frac{a+b}{a-b} = \frac{c+d}{c-d} \Leftrightarrow \frac{a}{b} = \frac{c}{d}$$

$$4. xy \Rightarrow \frac{x_1}{y_1} = \frac{x_2}{y_2} = k$$

$$5. x \frac{1}{y} \Rightarrow x_1 y_1 = x_2 y_2 = k$$

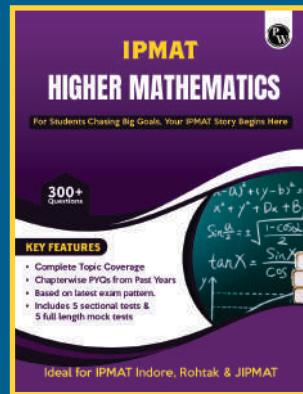
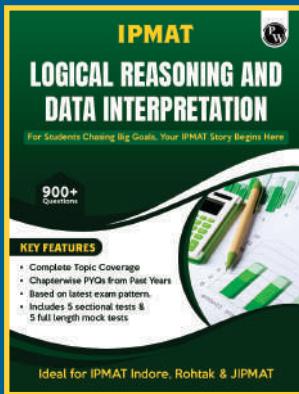
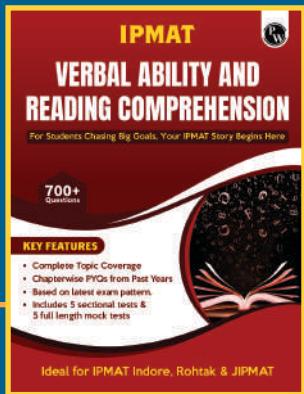
6. Profit share in partnership = Ratio of (Amount Invested) \times (Time Period)

“Conquer The Numbers, Conquer The Test”

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